

# Tunnel-Diode Detector Nonlinearity Characterization and Minimization

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## Outline

- Motivation: CoSMIR Performance
- Detector Characterization
  - Two-Tone Test
  - Voltage Response Test
- Practical Examples
- Discussion and Recommendations



# CoSMIR Background

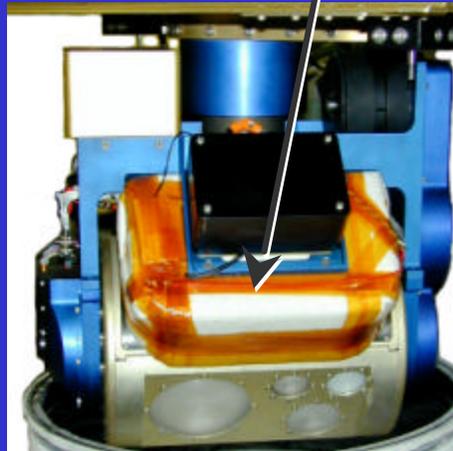
- SSMIS Calibration/Validation
  - Conduct underflights of SSMIS with CoSMIR for calibration/validation of SSMIS measurements.
  - Validate atmospheric absorption and ocean surface emission models for usage with SSMIS data.
  - $T_B$  from 100 K – 300 K



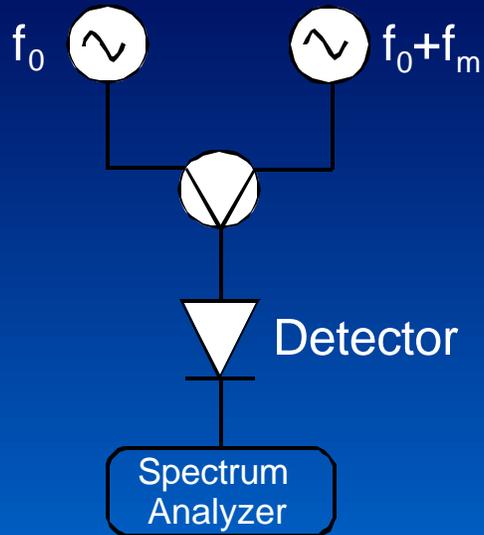
# Calibration System

- ~1/2 K absolute error
- Periodic cal: ~5 sec
- External calibration targets
  - Iron/epoxy absorber on aluminum substrate
  - Hot load: heated to ~328K
  - Ambient load – 240-250K
- Close coupling of targets
- Thermometry
  - 8 RTDs on each calibration target – <0.05 K accuracy
- Post flight averaging using optimal filter
- Post processing correction of a/c pitch and roll variations

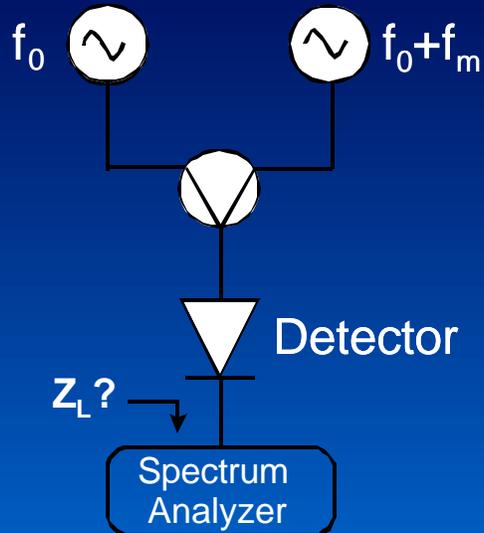
External Calibration Target



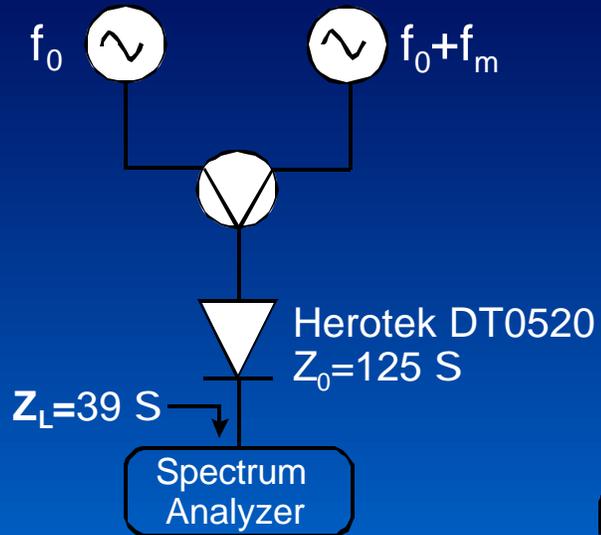
## Simplified Detector Two-Tone Test



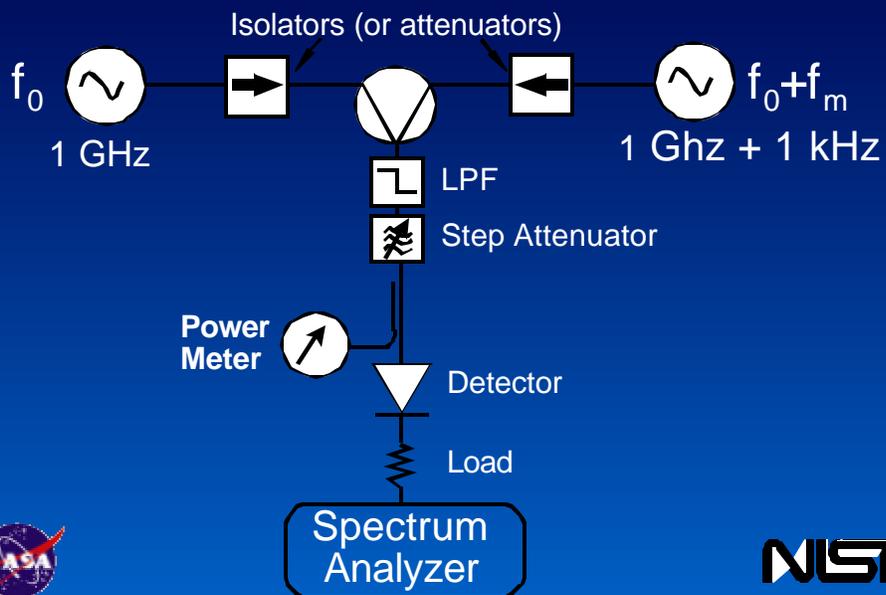
## Simplified Detector Two-Tone Test



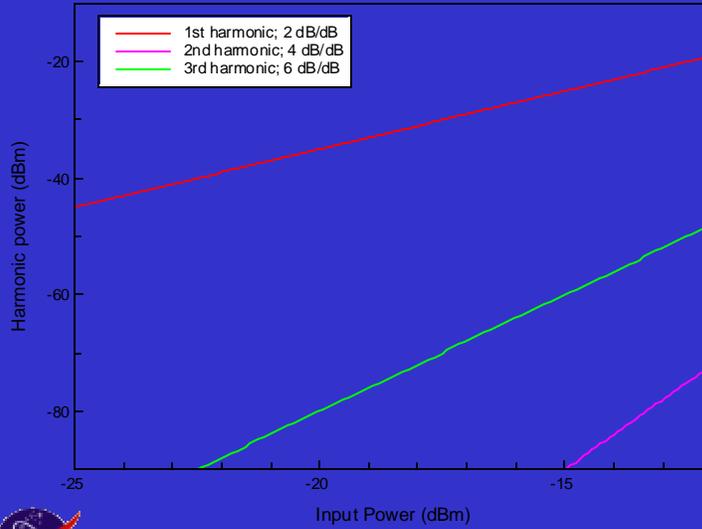
## Simplified Detector Two-Tone Test



## Detector Two-Tone Test - Actual

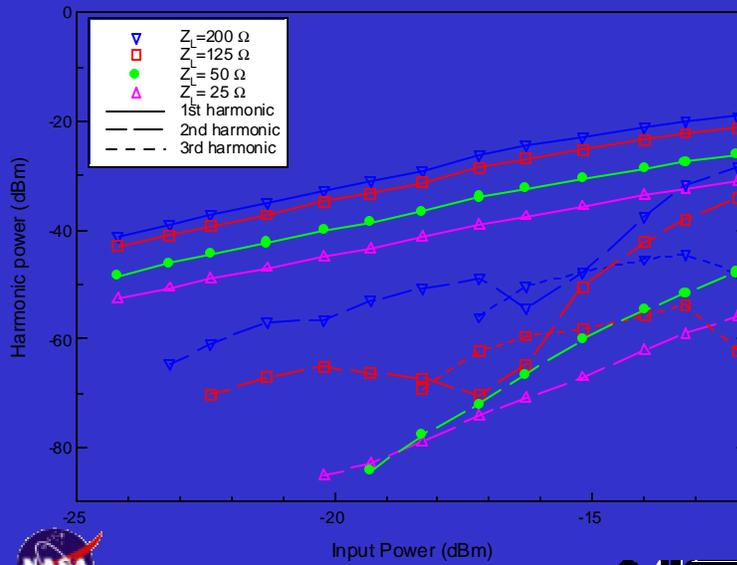


# Classical Harmonic Output



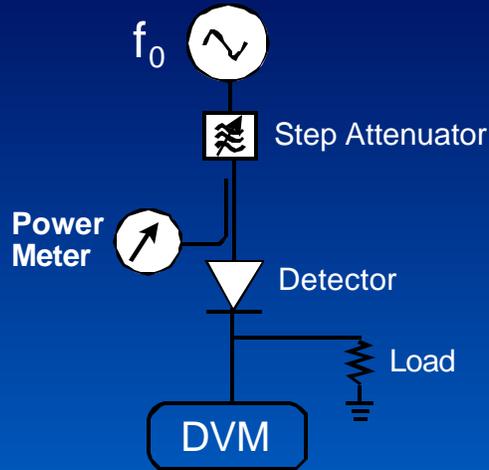
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# Detector Harmonic Output

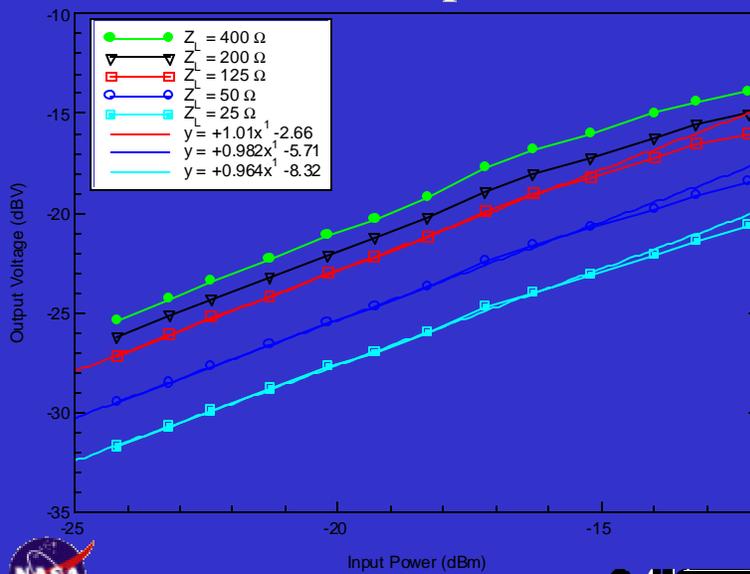


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# Detector P-V Response



# P-V Response



## Predicting $\Delta T$ Due to Nonlinearity

- $\hat{T} = T_c + [(T_h - T_c)/(V_h - V_c)](V - V_c)$
- Quadratic approximation:  

$$V \approx P - CP^2$$
- Worst-Case Interpolation Error:  

$$\Delta T = (C/4) (T_h - T_c)/(P_h - P_c)$$
- Worst-Case Extrapolation Error:  
 – Use Point-Slope eq'n; include  $C_h$  and  $C_c$
- Ref: Reinhardt *et al.*, IEEE Trans. MTT, April 1995.



## CoSMIR Radiometer Overview

Center Frequency (GHz)	IF Bandwidth (MHz)	Noise Figure (dB)	Sensitivity 100 ms int. (K)
50.3	400	4.8 (SSB)	0.13
52.8	400	4.8 (SSB)	0.13
53.6	400	4.8 (SSB)	0.13
91.655	1000	6.5	0.10
150.0	1000	10.5	0.30
183.31±1	500	7.8	0.30
183.31±3	1000	7.8	0.21
183.31±6.6	1500	7.8	0.17



## Examples of Predicted \*T

	$T_h$	$T_c$	T range
CoSMIR $T_N=500$ K	325 K	245 K	245-325 K
CoSMIR $T_N=500$ K	325 K	245 K	100-325 K
Sat. Rad. $T_N=500$ K	300 K	0 K	0-300 K
Sat. Rad. $T_N=100$ K	300 K	0 K	0-300 K



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## Temperature Error for $P_h = -21.3$ dBm

	$Z_L=200S$	$Z_L=125S$	$Z_L=50S$
CoSMIR Interpolated	0.06 K	0.01 K	<0.01 K
CoSMIR Extrapolated	16.2 K	1.6 K	0.02 K
Sat. $T_N=500$ K, Interpolated	0.83 K	0.13 K	<0.01 K
Sat. $T_N=100$ K, Interpolated	1.57 K	0.25 K	<0.01 K



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# Discussion

- Commercial tunnel-diode detector char.
  - Two-tone method with S.A. preferred
  - Single-tone with DVM as “sanity check”
  - Vary load impedance
- Bias point and  $Z_L$  optimization
  - Receiver dynamic range— $T$  and  $T_N$ ; interp/extrap.
  - $Z_L \cdot 50 \text{ } \Omega$  (but not lower); consider  $G_{\text{op. amp}}$ 
    - Potential improvement in  $\ast T$  of 10X or more
    - 7 dB higher  $P_{\text{in}}$  for same  $\ast T$
    - Same  $Z_L$  on both op amp inputs to \common-mode noise
    - Caution: might not apply to other detectors, and what happens at lower power levels?



# Detector Harmonic Output

